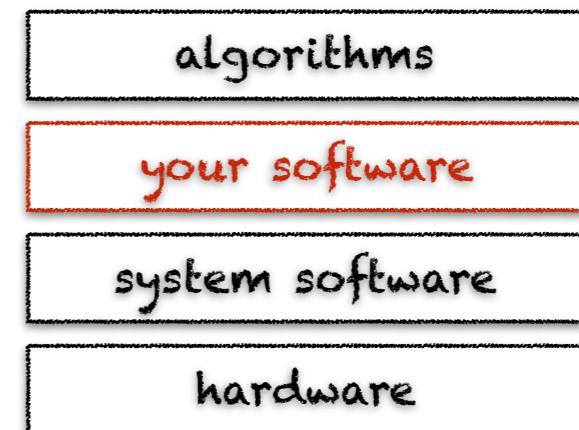


**programming
basics**



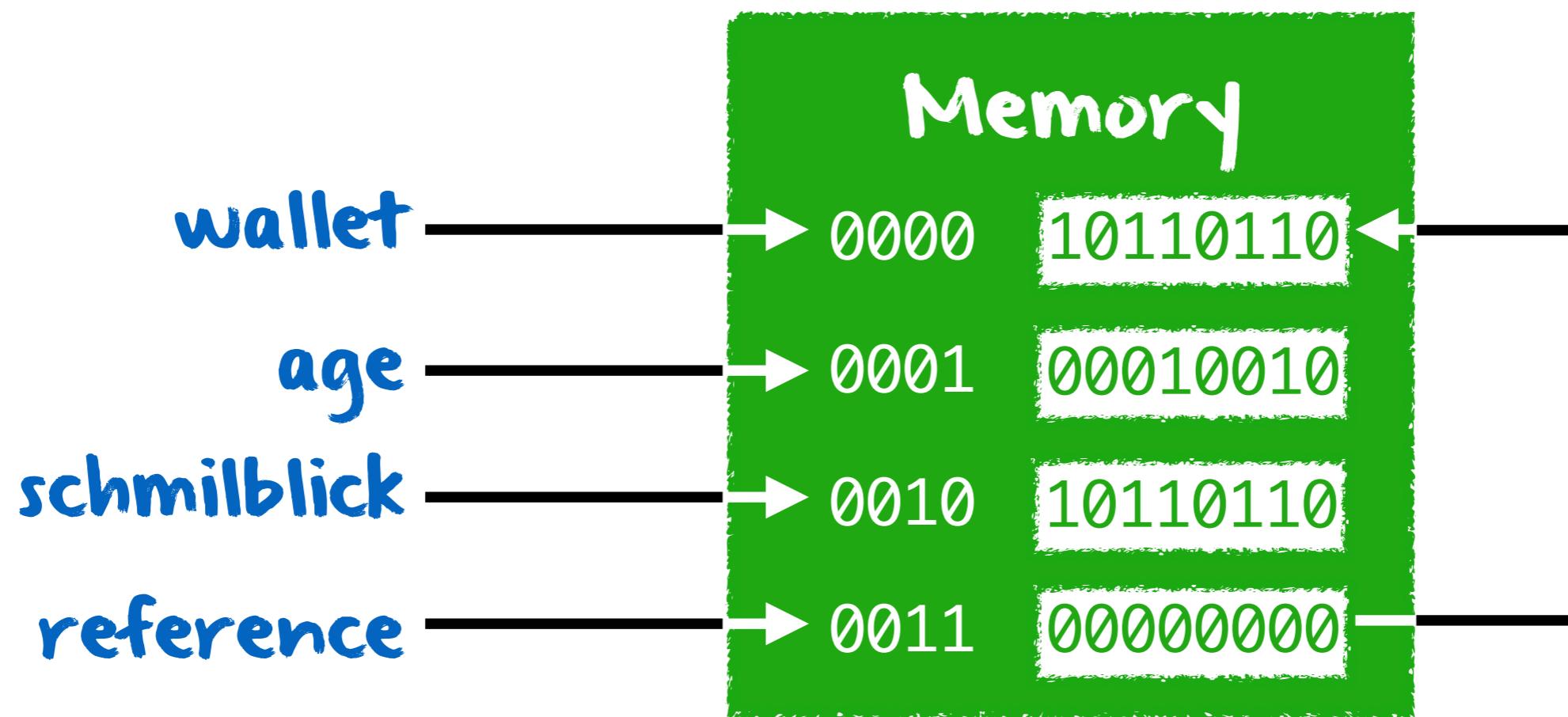
learning objectives

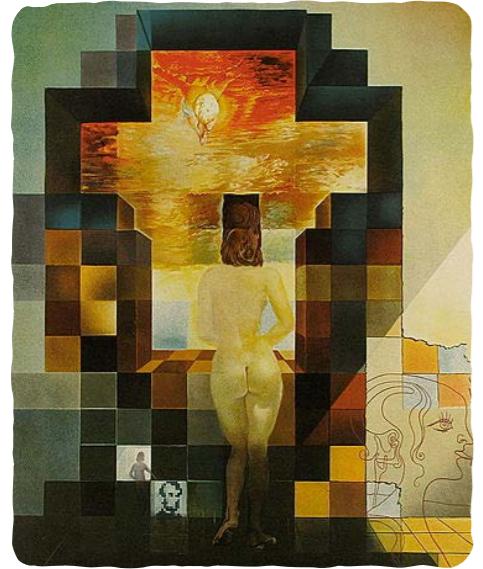


- learn about variables, their types and their values
- learn about different number representations
- learn boolean algebra and conditional branching
- learn about basic text input and output

what's a variable?

in a program, a **variable** is a **symbolic name** (also called **identifier**) associated with a **memory location** where the **value of the variable** will be stored





yes but what type of value?

$$x^n + y^n = z^n$$

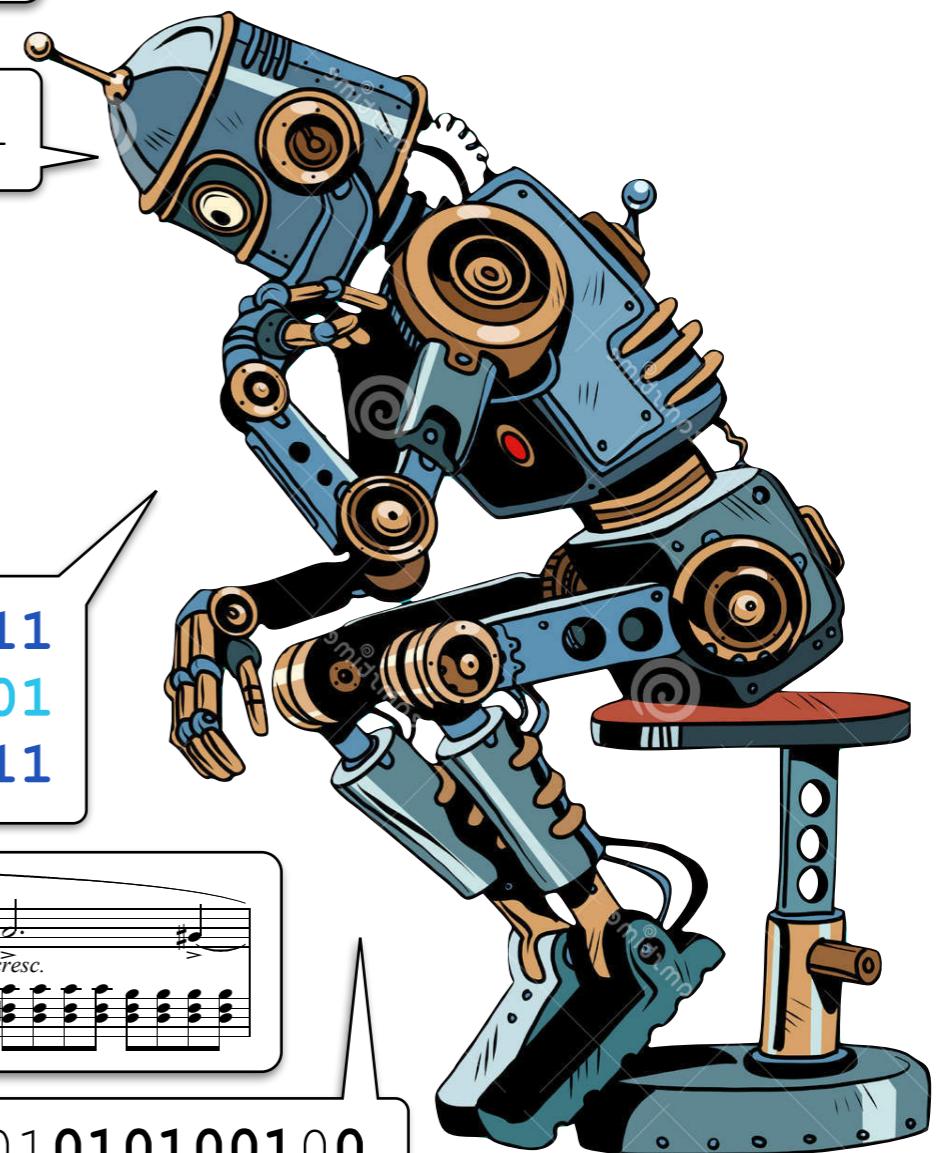
1111001101010011



0010010100101011
1100110100111001
1111001101010011



00100101001010110001001010100100
11001101001110011111001101010011



00100101
00101011
00010010
10100100
11001101
00111001
11110011
01010011

what's a type?

the type of a variable defines what will be stored in the memory location, e.g., a boolean, an integer, a character, etc., i.e., how the bits in the memory location will be interpreted

python	scala	swift
<code>d = 3.14</code> <code>i = 0</code> <code>s = "hello"</code>	<code>var d = 3.14</code> <code>var i = 0</code> <code>var s = "hello"</code>	<code>var d = 3.14</code> <code>var i = 0</code> <code>var s = "hello"</code>

1000001 \Leftrightarrow 65

1000001 \Leftrightarrow 'A'

00000000 \Leftrightarrow false

explicit typing & type inference

as a programmer, you can **explicitly define the type** of a variable (**explicit typing**) or **let the compiler** (or the interpreter) **try to infer the type of the variable**, typically through initialization (**implicit typing**)

however, there are cases where type inference is not possible, e.g., in recursive functions

	python	scala	swift
implicit	<pre>i = 0 f = 3.14 s = "hello"</pre>	<pre>var i = 0 var d = 3.14 var f = 3.14f var s = "hello"</pre>	<pre>var i = 0 var d = 3.14 var s = "hello"</pre>
explicit	no static typing	<pre>var i : Int = 0 var f : Double = 3.14 var f : Float = 3.14f var s : String = "hello"</pre>	<pre>var i : Int = 0 var f : Double = 3.14 var f : Float = 3.14 var s : String = "hello"</pre>

static typing vs dynamic typing

the **static type** designates the type of
the variable known **at compilation time**

this allows the compiler to **catch** a certain
number of errors **before** the execution

the **dynamic type** designates the type of the
value contained by a variable **at run time**

this allows the runtime to **catch** errors
during the execution

scala

```
var i : Int = 0
var d = 3.14
var f = 3.14f
var s = "hello"

f : Float = d
i = d
s = d
```



python

```
v = 0
v = 3.14
v = "hello"
```

type casting

when you want to assign a value to a variable but the static type and the dynamic type do not match, you can perform an **explicit conversion**, also known as a **type casting**

python	scala	swift
<pre>d = math.pi i = int(d) 3.141592653589793 f = float(d) s = str(d)</pre>	<pre>var d : Double = math.Pi var i = 0 var s = "hello" var f = 3.14f</pre> <pre>f = d.toFloat 3.1415927 i = d.toInt s = d.toString</pre>	<pre>var d : Double.pi var i = 0 var s = "hello" var f : Float = 3.14</pre> <pre>var i = Int(d) var f = Float(d) var s = String(d)</pre>

number representation

unsigned integers

	bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0
$87_{10} =$	0×2^7	$+ 1 \times 2^6$	$+ 0 \times 2^5$	$+ 1 \times 2^4$	$+ 0 \times 2^3$	$+ 1 \times 2^2$	$+ 1 \times 2^1$	$+ 1 \times 2^0$
$87_{10} =$	0×128	$+ 1 \times 64$	$+ 0 \times 32$	$+ 1 \times 16$	$+ 0 \times 8$	$+ 1 \times 4$	$+ 1 \times 2$	$+ 1 \times 1$
$87_{10} =$	0	1	0	1	0	1	1	1

$$87_{10} = 01010111_2$$

$$\text{range} = [0_2, 11111111_2] = [0_{10}, 255_{10}]$$

signed integers with signed magnitude

	Bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0
$87_{10} =$	0	1×2^6	$+ 0 \times 2^5$	$+ 1 \times 2^4$	$+ 0 \times 2^3$	$+ 1 \times 2^2$	$+ 1 \times 2^1$	$+ 1 \times 2^0$
$87_{10} =$	0	1	0	1	0	1	1	1
$-87_{10} =$	1	1×64	$+ 0 \times 32$	$+ 1 \times 16$	$+ 0 \times 8$	$+ 1 \times 4$	$+ 1 \times 2$	$+ 1 \times 1$
$-87_{10} =$	1	1	0	1	0	1	1	1

$$87_{10} = 01010111_2$$

$$-87_{10} = 11010111_2$$

Bit 7 is the sign bit

0 \Leftrightarrow +

1 \Leftrightarrow -

$$\text{range} = [-127_{10}, +127_{10}]$$

two ways to represent zero:

$$+0_{10} = 0000000_2$$

$$-0_{10} = 1000000_2$$

number representation

signed integers with one complement									
	Bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0	
$87_{10} =$	0	1×2^6	$+$	0×2^5	$+$	1×2^4	$+$	0×2^3	$+$
									1×2^2
									$+$
									1×2^1
									$+$
									1×2^0
$87_{10} =$	0	1	0	1	0	1	1	1	
	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓
$-87_{10} =$	1	0	1	0	1	0	0	0	

$$87_{10} = 01010111_2$$

$$-87_{10} = 10101000_2$$

Bit 7 is the sign bit

$$0 \Leftrightarrow +$$

$$1 \Leftrightarrow -$$

$$\text{range} = [-127_{10}, +127_{10}]$$

two ways to represent zero:

$$+0_{10} = 00000000_2$$

$$-0_{10} = 11111111_2$$

number representation

signed integers with two complement									
	Bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0	
$87_{10} =$	0	1×2^6	$+ 0 \times 2^5$	$+ 1 \times 2^4$	$+ 0 \times 2^3$	$+ 1 \times 2^2$	$+ 1 \times 2^1$	$+ 1 \times 2^0$	
$87_{10} =$	0	1	0	1	0	1	1	1	
	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	not ↓	
	1	0	1	0	1	0	0	0	
									+1 ↓
$-87_{10} =$	1	0	1	0	1	0	0	1	
	-1×2^7	0×2^6	$+ 1 \times 2^5$	$+ 0 \times 2^4$	$+ 1 \times 2^3$	$+ 0 \times 2^2$	$+ 0 \times 2^1$	$+ 1 \times 2^0$	
$-87_{10} =$	-1×128		$+ 1 \times 32$		$+ 1 \times 8$				$+ 1 \times 1$

$$87_{10} = 01010111_2$$

$$-87_{10} = 10101001_2$$

Bit 7 is the sign bit

$$0 \Leftrightarrow +$$

$$1 \Leftrightarrow -$$

range = $[-128_{10}, +127_{10}]$
 only one way to represent zero:
 $0_{10} = 00000000_2$

number representation

only a small subset of the **infinite set of real numbers** can be represented in a computer, which has a **finite memory space**

floating point principle

sign \times mantissa \times base^{exponent}

$$-3.14159 = -1 \times 314159 \times 10^{-5}$$

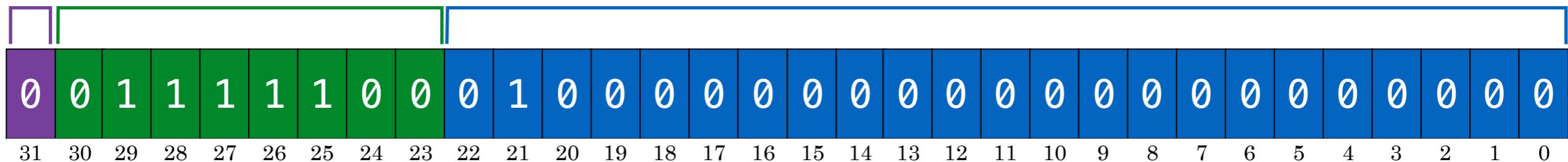

in a computer, the base is **2**

number representation

floating point single precision

sign **exponent (8 bits)**

mantissa (23 bits)



$$\text{value} = (-1)^{\text{sign}} \times \left(1 + \sum_{i=1}^{23} b_{23-i} 2^{-i} \right) \times 2^{(e-127)}$$

$$\text{sign} = b_{31} = 0 \implies (-1)^{\text{sign}} = (-1)^0 = +1 \in \{-1, +1\}$$

$$e = b_{30}b_{29}\dots b_{23} = \sum_{i=0}^7 b_{23+i}2^{+i} = 124 \in \{1, \dots, (2^8 - 1) - 1\} = \{1, \dots, 254\}$$

$$2^{(e-127)} = 2^{124-127} = 2^{-3} \in \{2^{-126}, \dots, 2^{127}\}$$

$$1.b_{22}b_{21}\dots b_0 = 1 + \sum_{i=1}^{23} b_{23-i}2^{-i} = 1 + 1 \cdot 2^{-2} = 1.25 \in \{1, 1 + 2^{-23}, \dots, 2 - 2^{-23}\} \subset [1; 2 - 2^{-23}] \subset [1; 2)$$

$$\text{value} = (+1) \times 1.25 \times 2^{-3} = +0.15625$$

Constant

a constant is simply a
variable that cannot... vary 

python	scala	swift
no constant <code>d = 1.0</code> <code>i = 1</code> <code>s = "bye"</code>	<code>val d : Double = math.Pi</code> <code>val i = 0</code> <code>val s = "hello"</code>	<code>let d : Double.pi</code> <code>let i = 0</code> <code>let s = "hello"</code>



logic



the intellectual
tool for reasoning
about the truth
and falsity of
statements

logic & programming



most programming languages, support **boolean variables**, which can take values $\in \{\text{true}, \text{false}\}$

in some low-level languages, integer numbers are used for the same purpose, e.g., with:

$p = \text{false} \Leftrightarrow p = 0$

$q = \text{true} \Leftrightarrow q = 1$ (sometimes $q = \text{true} \Leftrightarrow q \neq 0$)

when combined with operators \wedge , \vee and \neg , boolean variables constitute an algebra used in **conditional branching**

where:
 $\neg \Leftrightarrow \text{not}$
 $\vee \Leftrightarrow \text{or}$
 $\wedge \Leftrightarrow \text{and}$

boolean algebra



assume that p , q and r are boolean variables (or statements) and that $T = \text{true}$, $F = \text{false}$, we have:

p	$\neg p$		p	q	$p \wedge q$		p	q	$p \vee q$
F	T		F	F	F		F	F	F
T	F		F	T	F		F	T	T
			T	F	F		T	F	T
			T	T	T		T	T	T

$\neg \Leftrightarrow \text{not}$
 $\vee \Leftrightarrow \text{or}$
 $\wedge \Leftrightarrow \text{and}$

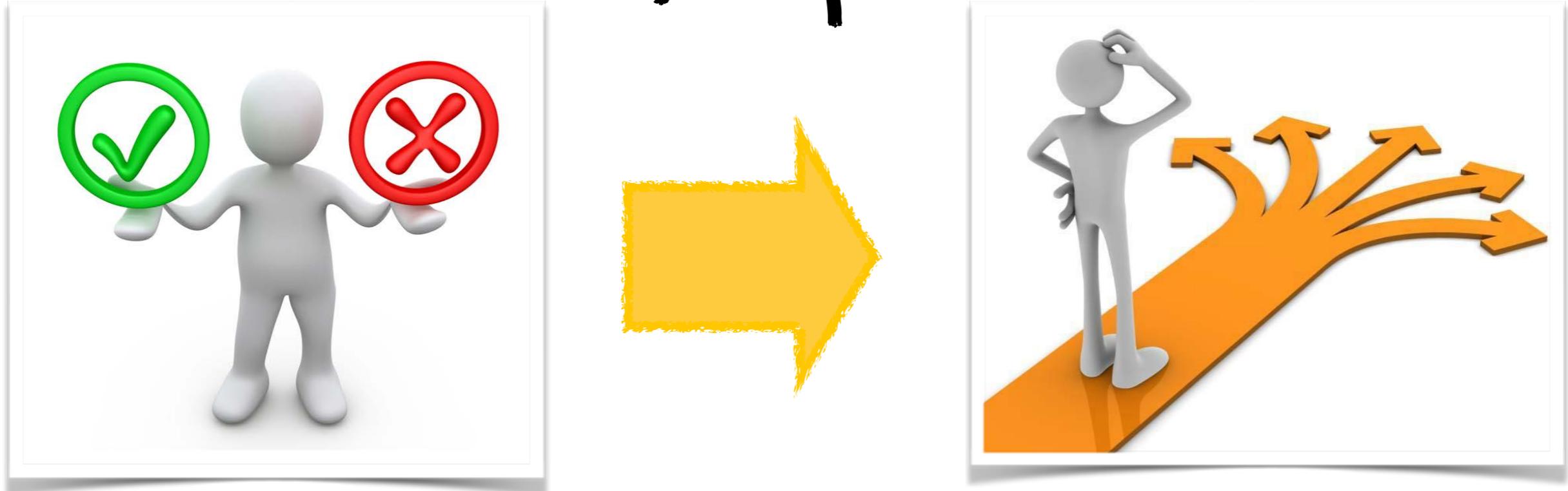
python	scala	swift
<pre>a = False b = True</pre>	<pre>var a = false var b = true</pre>	<pre>var a = false var b = true</pre>
<pre>c = a and b c = a or b c = not a</pre>	<pre>var c = a && b c = a b c = !a</pre>	<pre>var c = a && b c = a b c = !a</pre>

some rules

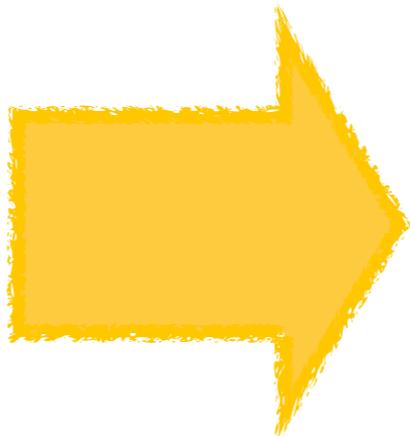


<i>Associative Rules:</i>	$(p \wedge q) \wedge r \Leftrightarrow p \wedge (q \wedge r)$	$(p \vee q) \vee r \Leftrightarrow p \vee (q \vee r)$
<i>Distributive Rules:</i>	$p \wedge (q \vee r) \Leftrightarrow (p \wedge q) \vee (p \wedge r)$	$p \vee (q \wedge r) \Leftrightarrow (p \vee q) \wedge (p \vee r)$
<i>Idempotent Rules:</i>	$p \wedge p \Leftrightarrow p$	$p \vee p \Leftrightarrow p$
<i>Double Negation:</i>	$\neg \neg p \Leftrightarrow p$	
<i>DeMorgan's Rules:</i>	$\neg(p \wedge q) \Leftrightarrow \neg p \vee \neg q$	$\neg(p \vee q) \Leftrightarrow \neg p \wedge \neg q$
<i>Commutative Rules:</i>	$p \wedge q \Leftrightarrow q \wedge p$	$p \vee q \Leftrightarrow q \vee p$
<i>Absorption Rules:</i>	$p \vee (p \wedge q) \Leftrightarrow p$	$p \wedge (p \vee q) \Leftrightarrow p$
<i>Bound Rules:</i>	$p \wedge F \Leftrightarrow F$	$p \vee T \Leftrightarrow T$
<i>Negation Rules:</i>	$p \wedge (\neg p) \Leftrightarrow F$	$p \vee (\neg p) \Leftrightarrow T$

from boolean algebra to conditional branching example



write a function that checks whether a given
year (passed as parameter) is a **leap year** or not



Leap years are **multiples of 4**, and they
can only be **multiples of 100** if they are
also **multiples of 400**

```
function isLeap(year : integer)
if year mod 400 = 0
  isLeap ← true
else if year mod 100 = 0
  isLeap ← false
else if year mod 4 = 0
  isLeap ← true
else isLeap ← false
```



conditional branching

```
function isLeap(year : integer)
if ((year mod 4 = 0) ∧ (year mod 100 ≠ 0)) ∨ (year mod 400)
  isLeap ← true
else
  isLeap ← false
```

```
function isLeap(year : integer)
isLeapYear ← ((year mod 4 = 0) ∧ (year mod 100 ≠ 0)) ∨ (year mod 400)
```



conditional branching

python

```
def isLeap(year):  
    if year % 400 == 0 : return True  
    elif year % 100 == 0 : return False  
    elif year % 4 == 0 : return True  
    return False
```

```
def isLeap(year):  
    if (year % 4 == 0) and (year % 100 != 0) or (year % 400 == 0) : return True  
    return False
```

```
def isLeap(year):  
    return (year % 4 == 0) and (year % 100 != 0) or (year % 400 == 0)
```



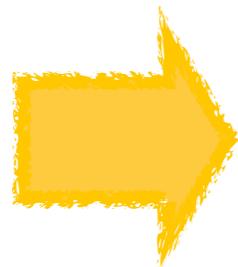
conditional branching

scala

```
def isLeap(year : Int) : Boolean = {  
  if (year % 400 == 0) true  
  else if (year % 100 == 0) false  
  else if (year % 4 == 0) true  
  else false  
}
```

```
def isLeap(year : Int) : Boolean = {  
  if ((year % 4 == 0) && (year % 100 != 0)) || (year % 400 == 0)) true  
  else false  
}
```

```
def isLeap(year : Int) : Boolean =  
(year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0)
```



conditional branching

swift

```
func isLeap(year:Int) -> Bool {  
    if year % 400 == 0 { return true }  
    else if year % 100 == 0 { return false }  
    else if year % 4 == 0 { return true }  
    else { return false }  
}
```

```
func isLeap(year:Int) -> Bool {  
    if (year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0) { return true }  
    else { return false }  
}
```

```
func isLeap(year:Int) -> Bool {  
    return (year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0)  
}
```

scala

```
i match {  
  case 1 => println("January")  
  case 2 => println("February")  
  case 3 => println("March")  
  case 4 => println("April")  
  case 5 => println("May")  
  case 6 => println("June")  
  case 7 => println("July")  
  case 8 => println("August")  
  case 9 => println("September")  
  case 10 => println("October")  
  case 11 => println("November")  
  case 12 => println("December")  
  case whoa => println("Unexpected: " + whoa.toString)  
}
```



conditional branching

switch / match

swift

```
let someCharacter: Character = "z"  
switch someCharacter {  
  case "a":  
    print("The first letter of the alphabet")  
  case "z":  
    print("The last letter of the alphabet")  
  default:  
    print("Some other character")  
}
```

fallback case

reserved keywords

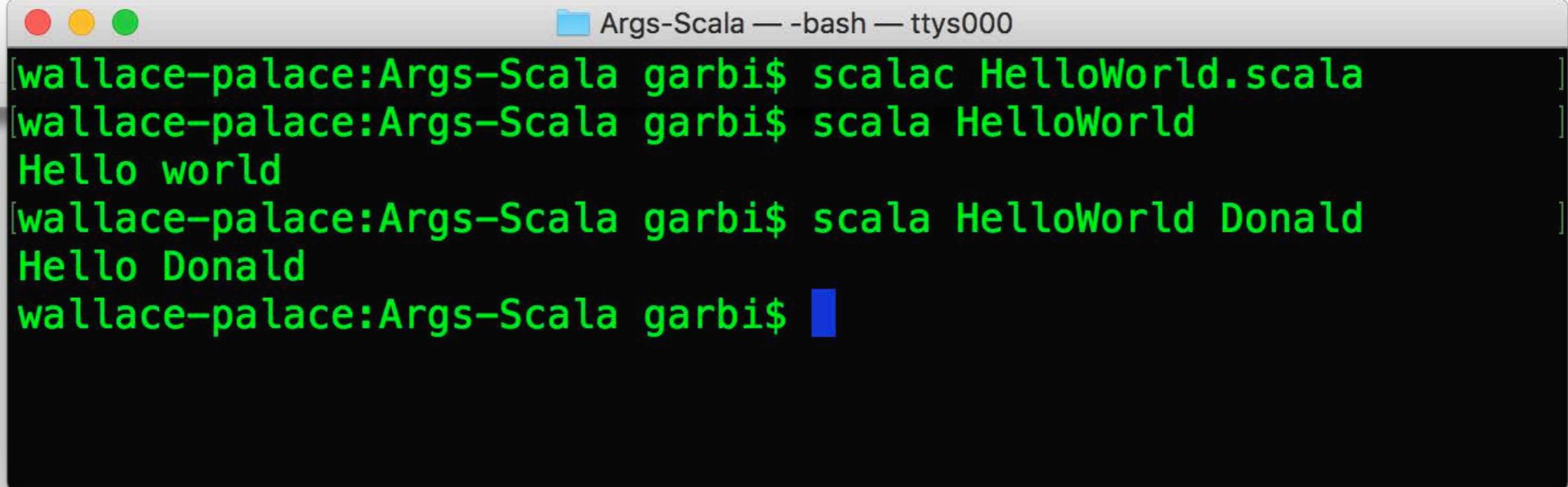
in a programming language, **identifiers** are **lexical tokens** chosen by the programmer to name various kinds of entities, e.g., variables, functions, types, etc.

in contrast, **reserved keywords** are words **that cannot be chosen by the programmer** to name entities and that has a predefined meaning, **if, else, switch**, etc.

command line arguments

```
object HelloWorld extends App {  
  if (args.length == 0) {  
    println("Hello world")  
  } else {  
    println("Hello " + args(0))  
  }  
}
```

scala



A terminal window titled 'Args-Scala — -bash — ttys000' is shown. The window contains the following text:

```
[wallace-palace:Args-Scala garbi$ scalac HelloWorld.scala  
[wallace-palace:Args-Scala garbi$ scala HelloWorld  
Hello world  
[wallace-palace:Args-Scala garbi$ scala HelloWorld Donald  
Hello Donald  
wallace-palace:Args-Scala garbi$ ]
```

text input/output on the command line

when a program is launched on the command line, it can **ask the user for text input** and **provide text output** on the terminal

	input	output
 python	<pre>year = input("Give us a year: ") year = int(year)</pre>	<pre>print("Is {0} a leap year? {1}".format(year, isLeap(year)))</pre>
 scala	<pre>import scala.io.StdIn.readLine val year = readLine("Choose a year: ").toInt</pre>	<pre>print(s"Is \$year a leap year? \${isLeap(year)}")</pre>
 swift	<pre>var year = Int(readLine()!)</pre>	<pre>print("Year \\(year!) is leap: \(isLeap(year:year!))")</pre>