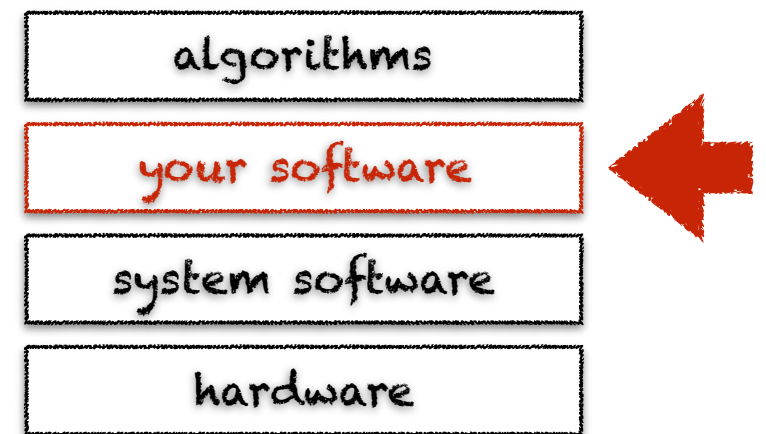


programming basics



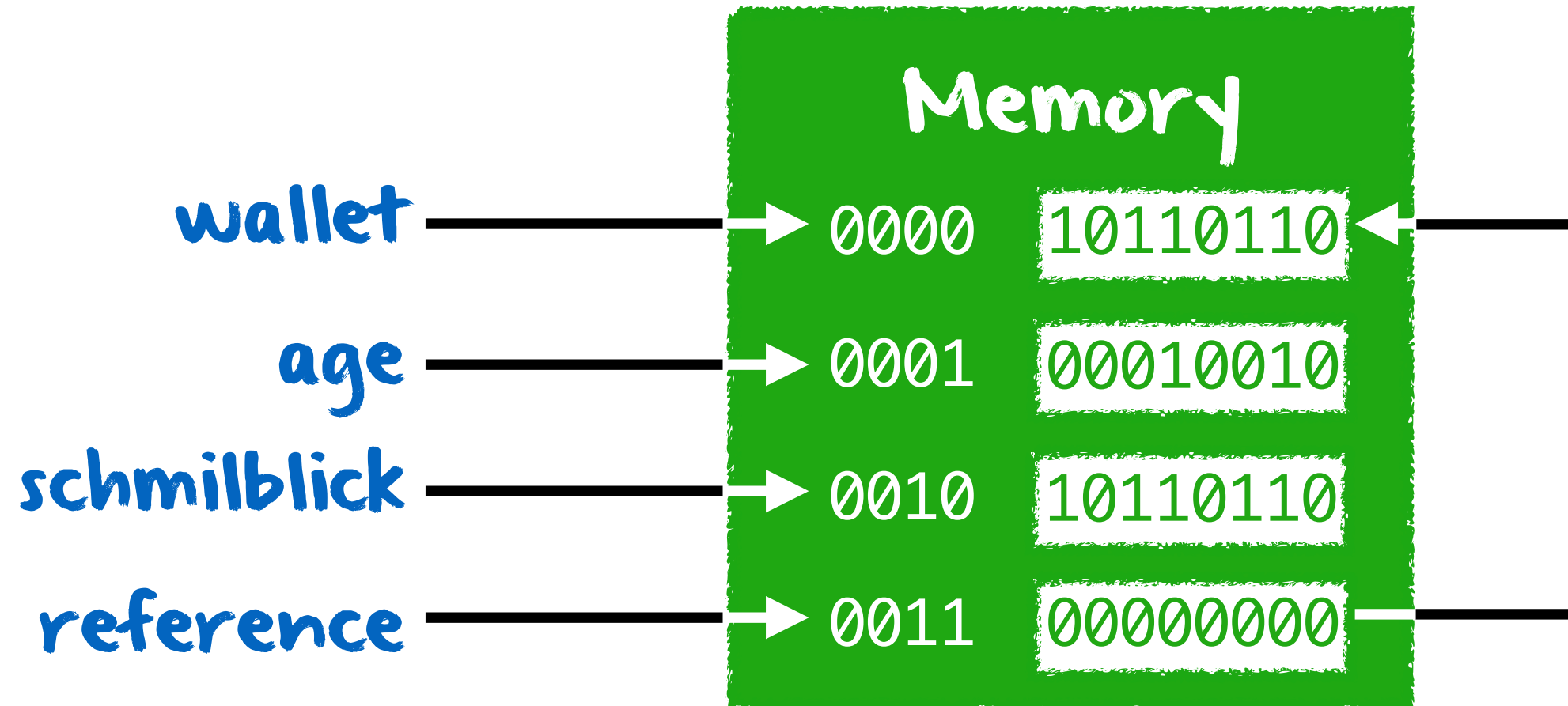
learning objectives



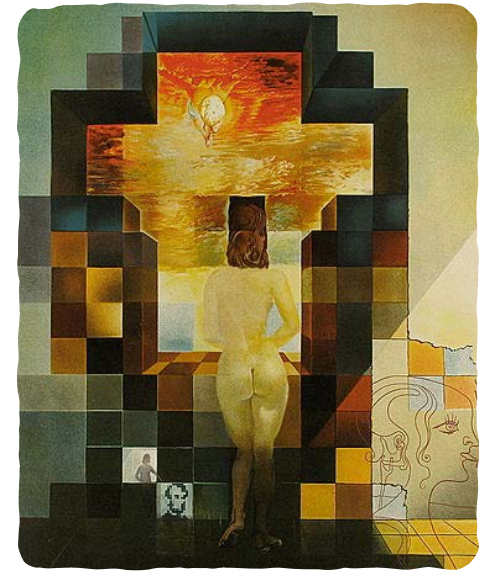
- ◆ learn about variables, their types and their values
- ◆ learn about different number representations
- ◆ learn boolean algebra and conditional branching
- ◆ learn about basic text input and output

what's a variable?

in a program, a **variable** is a **symbolic name** (also called **identifier**) associated with a **memory location** where the **value of the variable** will be stored



yes but what type of value?



00100101
00101011
00010010
10100100
11001101
00111001
11110011
01010011

$$x^n + y^n = z^n$$

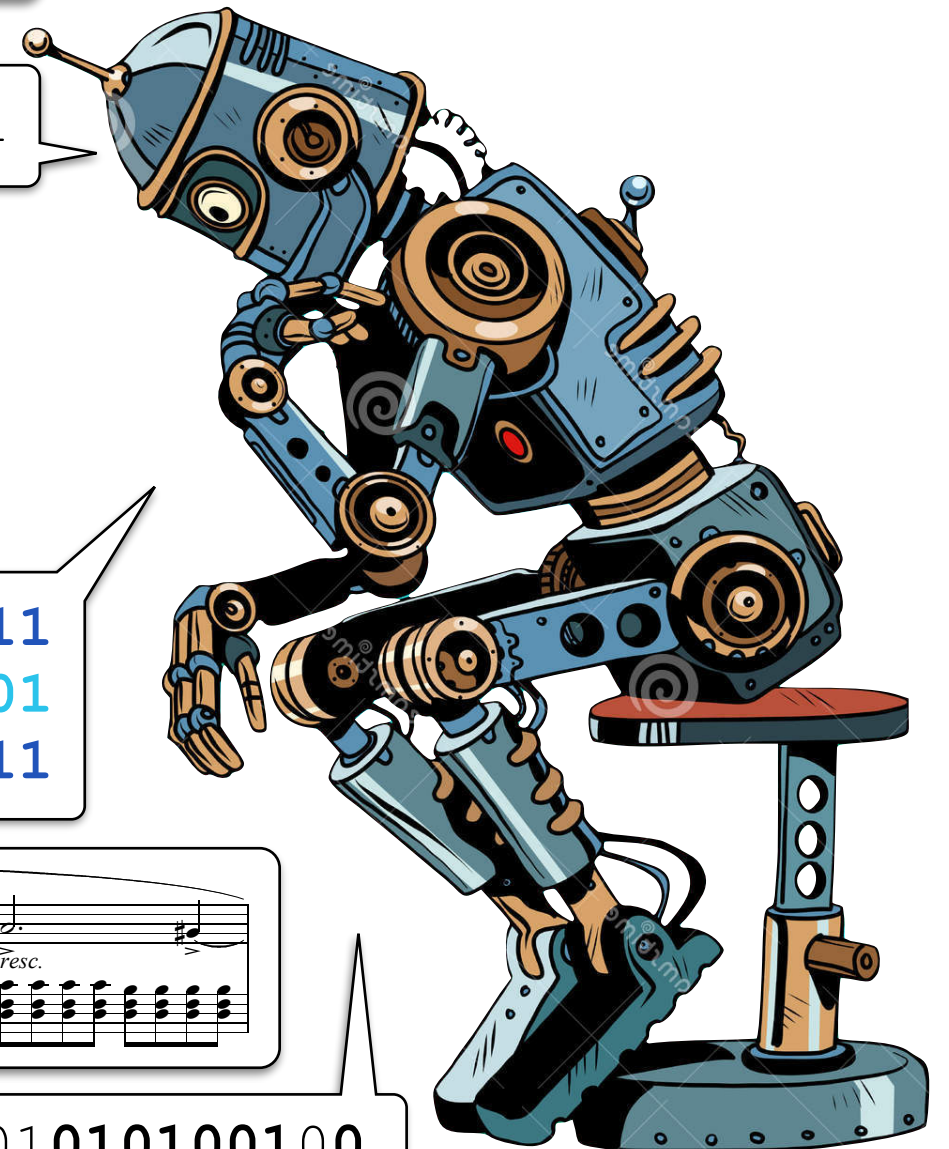
1111001101010011



0010010100101011
1100110100111001
1111001101010011



00100101001010110001001010100100
11001101001110011111001101010011



what's a type?

the type of a variable defines what will be stored in the memory location, e.g., a boolean, an integer, a character, etc., i.e., how the bits in the memory location will be interpreted

python	scala	swift
d = 3.14 i = 0 s = "hello"	var d = 3.14 var i = 0 var s = "hello"	var d = 3.14 var i = 0 var s = "hello"

0011111000100 \Leftrightarrow **0.15625**

$$1000001 \Leftrightarrow 65$$

1000001 \Leftrightarrow 'A'

0000000 \Leftrightarrow false

explicit typing & type inference

as a programmer, you can **explicitly define the type** of a variable (**explicit typing**) or **let the compiler** (or the interpreter) try to **infer the type of the variable**, typically through initialization (**implicit typing**)

however, there are cases where type inference is not possible, e.g., in recursive functions

	python	scala	swift
implicit	<pre>i = 0 f = 3.14 s = "hello"</pre>	<pre>var i = 0 var d = 3.14 var f = 3.14f var s = "hello"</pre>	<pre>var i = 0 var d = 3.14 var s = "hello"</pre>
explicit	no static typing	<pre>var i : Int = 0 var f : Double = 3.14 var f : Float = 3.14f var s : String = "hello"</pre>	<pre>var i : Int = 0 var f : Double = 3.14 var f : Float = 3.14 var s : String = "hello"</pre>

static typing vs dynamic typing

the **static type** designates the type of the variable known **at compilation time**

this allows the compiler to **catch** a certain number of **errors before the execution**

the **dynamic type** designates the type of the value contained by a variable **at run time**

this allows the runtime to **catch errors during the execution**

scala

```
var i : Int = 0  
var d = 3.14  
var f = 3.14f  
var s = "hello"
```

```
f : Float = d  
i = d  
s = d
```



python

```
v = 0  
v = 3.14  
v = "hello"
```


type casting

when you want to assign a value to a variable but the static type and the dynamic type do not match, you can perform an **explicit conversion**, also known as a **type casting**

python	scala	swift
<pre>d = math.pi i = int(d) f = float(d) s = str(d)</pre>	<pre>var d : Double = math.Pi var i = 0 var s = "hello" var f = 3.14f f = d.toFloat i = d.toInt s = d.toString</pre>	<pre>var d : Double.pi var i = 0 var s = "hello" var f : Float = 3.14 var i = Int(d) var f = Float(d) var s = String(d)</pre>

number representation

unsigned integers

	bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0
$87_{10} =$	0×2^7	$+ 1 \times 2^6$	$+ 0 \times 2^5$	$+ 1 \times 2^4$	$+ 0 \times 2^3$	$+ 1 \times 2^2$	$+ 1 \times 2^1$	$+ 1 \times 2^0$
$87_{10} =$	0×128	$+ 1 \times 64$	$+ 0 \times 32$	$+ 1 \times 16$	$+ 0 \times 8$	$+ 1 \times 4$	$+ 1 \times 2$	$+ 1 \times 1$
$87_{10} =$	0	1	0	1	0	1	1	1

$$87_{10} = 01010111_2$$

$$\text{range} = [0_2, 11111111_2] = [0_{10}, 255_{10}]$$

signed integers with signed magnitude

	Bit 7	bit 6	bit 5	bit 4	bit 3	bit 2	bit 1	bit 0
$87_{10} =$	0	1×2^6	$+ 0 \times 2^5$	$+ 1 \times 2^4$	$+ 0 \times 2^3$	$+ 1 \times 2^2$	$+ 1 \times 2^1$	$+ 1 \times 2^0$
$87_{10} =$	0	1	0	1	0	1	1	1
$-87_{10} =$	1	1×64	$+ 0 \times 32$	$+ 1 \times 16$	$+ 0 \times 8$	$+ 1 \times 4$	$+ 1 \times 2$	$+ 1 \times 1$
$-87_{10} =$	1	1	0	1	0	1	1	1

$$87_{10} = 01010111_2$$

$$-87_{10} = 11010111_2$$

Bit 7 is the sign bit

$$0 \Leftrightarrow +$$

$$1 \Leftrightarrow -$$

$$\text{range} = [-127_{10}, +127_{10}]$$

two ways to represent zero:

$$+0_{10} = 00000000_2$$

$$-0_{10} = 10000000_2$$

number representation

signed integers with one complement														
	Bit 7	bit 6		bit 5		bit 4		bit 3		bit 2		bit 1		bit 0
$87_{10} =$	0	1×2^6	+	0×2^5	+	1×2^4	+	0×2^3	+	1×2^2	+	1×2^1	+	1×2^0
$87_{10} =$	0	1		0		1		0		1		1		1
	not ↓	not ↓		not ↓		not ↓		not ↓		not ↓		not ↓		not ↓
$-87_{10} =$	1	0		1		0		1		0		0		0

$87_{10} = 01010111_2$
 $-87_{10} = 10101000_2$

Bit 7 is the sign bit

$0 \Leftrightarrow +$
 $1 \Leftrightarrow -$

range = $[-127_{10}, +127_{10}]$
 two ways to represent zero:
 $+0_{10} = 00000000_2$
 $-0_{10} = 11111111_2$

number representation

signed integers with two complement														
	Bit 7	bit 6		bit 5		bit 4		bit 3		bit 2		bit 1		bit 0
$87_{10} =$	0	1×2^6	+	0×2^5	+	1×2^4	+	0×2^3	+	1×2^2	+	1×2^1	+	1×2^0
$87_{10} =$	0	1		0		1		0		1		1		1
	not ↓	not ↓		not ↓		not ↓		not ↓		not ↓		not ↓		not ↓
	1	0		1		0		1		0		0		0
														+1 ↓
$-87_{10} =$	1	0		1		0		1		0		0		1
	-1×2^7	0×2^6	+	1×2^5	+	0×2^4	+	1×2^3	+	0×2^2	+	0×2^1	+	1×2^0
$-87_{10} =$	-1×128		+	1×32			+	1×8					+	1×1

$87_{10} = 01010111_2$
 $-87_{10} = 10101001_2$

Bit 7 is the sign bit

$0 \Leftrightarrow +$
 $1 \Leftrightarrow -$

range = $[-128_{10}, +127_{10}]$
 only one way to represent zero:
 $0_{10} = 00000000_2$

number representation

only a small subset of the **infinite set** of **real numbers** can be represented in a computer, which has a **finite memory space**

floating point principle

sign × mantissa × base^{exponent}

$$-3.14159 = \begin{matrix} \downarrow & & \downarrow & & \downarrow & \downarrow \\ -1 & \times & 314159 & \times & 10 & -5 \end{matrix}$$

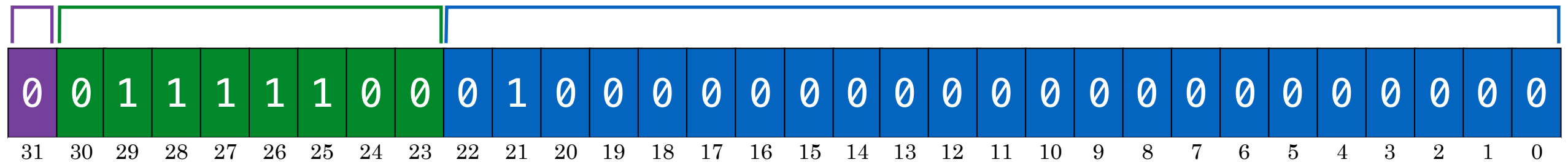
in a computer, the base is **2**

number representation

floating point single precision

sign exponent (8 bits)

mantissa (23 bits)



$$\text{value} = (-1)^{\text{sign}} \times \left(1 + \sum_{i=1}^{23} b_{23-i} 2^{-i} \right) \times 2^{(e-127)}$$

$$\text{sign} = b_{31} = 0 \Rightarrow (-1)^{\text{sign}} = (-1)^0 = +1 \in \{-1, +1\}$$

$$e = b_{30}b_{29}\dots b_{23} = \sum_{i=0}^7 b_{23+i} 2^{+i} = 124 \in \{1, \dots, (2^8 - 1) - 1\} = \{1, \dots, 254\}$$

$$2^{(e-127)} = 2^{124-127} = 2^{-3} \in \{2^{-126}, \dots, 2^{127}\}$$

$$1.b_{22}b_{21}\dots b_0 = 1 + \sum_{i=1}^{23} b_{23-i} 2^{-i} = 1 + 1 \cdot 2^{-2} = 1.25 \in \{1, 1 + 2^{-23}, \dots, 2 - 2^{-23}\} \subset [1; 2 - 2^{-23}] \subset [1; 2)$$

$$\text{value} = (+1) \times 1.25 \times 2^{-3} = +0.15625$$

constant

a constant is simply a
variable that cannot... vary 🤪

python

no constant

scala

```
val d : Double = math.Pi  
val i = 0  
val s = "hello"
```

```
d = 1.0  
i = 1  
s = "bye"
```



swift

```
let d : Double.pi  
let i = 0  
let s = "hello"
```

```
d = 1.0  
i = 1  
s = "bye"
```



logic



the intellectual
tool for reasoning
about the **truth**
and **falsity** of
statements

logic & programming



most programming languages, support **boolean variables**, which can take values $\in \{\text{true}, \text{false}\}$

in some low-level languages, integer numbers are used for the same purpose, e.g., with:

$$p = \text{false} \quad \Leftrightarrow \quad p = 0$$

$$q = \text{true} \quad \Leftrightarrow \quad q = 1 \quad (\text{sometimes } q = \text{true} \Leftrightarrow q \neq 0)$$

when combined with operators \wedge , \vee and \neg , boolean variables constitute an algebra used in **conditional branching**

where: $\neg \Leftrightarrow$ not
 $\vee \Leftrightarrow$ or
 $\wedge \Leftrightarrow$ and

boolean algebra



assume that p , q and r are boolean variables (or statements) and that $T = true$, $F = false$, we have:

p	$\neg p$				p	q	$p \wedge q$	p	q	$p \vee q$
F	T				F	F	F	F	F	F
T	F				F	T	F	F	T	T
					T	F	F	T	F	T
					T	T	T	T	T	T

$\neg \Leftrightarrow$ not
 $\vee \Leftrightarrow$ or
 $\wedge \Leftrightarrow$ and

python	scala	swift
<code>a = False</code> <code>b = True</code> <code>c = a and b</code> <code>c = a or b</code> <code>c = not a</code>	<code>var a = false</code> <code>var b = true</code> <code>var c = a && b</code> <code>c = a b</code> <code>c = !a</code>	<code>var a = false</code> <code>var b = true</code> <code>var c = a && b</code> <code>c = a b</code> <code>c = !a</code>

some rules



Associative Rules:

$$(p \wedge q) \wedge r \Leftrightarrow p \wedge (q \wedge r)$$

$$(p \vee q) \vee r \Leftrightarrow p \vee (q \vee r)$$

Distributive Rules:

$$p \wedge (q \vee r) \Leftrightarrow (p \wedge q) \vee (p \wedge r)$$

$$p \vee (q \wedge r) \Leftrightarrow (p \vee q) \wedge (p \vee r)$$

Idempotent Rules:

$$p \wedge p \Leftrightarrow p$$

$$p \vee p \Leftrightarrow p$$

Double Negation:

$$\neg\neg p \Leftrightarrow p$$

DeMorgan's Rules:

$$\neg(p \wedge q) \Leftrightarrow \neg p \vee \neg q$$

$$\neg(p \vee q) \Leftrightarrow \neg p \wedge \neg q$$

Commutative Rules:

$$p \wedge q \Leftrightarrow q \wedge p$$

$$p \vee q \Leftrightarrow q \vee p$$

Absorption Rules:

$$p \vee (p \wedge q) \Leftrightarrow p$$

$$p \wedge (p \vee q) \Leftrightarrow p$$

Bound Rules:

$$p \wedge F \Leftrightarrow F \quad p \wedge T \Leftrightarrow p$$

$$p \vee T \Leftrightarrow T \quad p \vee F \Leftrightarrow p$$

Negation Rules:

$$p \wedge (\neg p) \Leftrightarrow F$$

$$p \vee (\neg p) \Leftrightarrow T$$

from boolean algebra to conditional branching example



write a function that checks whether a given
year (passed as parameter) is a **leap year** or not



Leap years are multiples of 4, and they
can only be multiples of 100 if they are
also multiples of 400

```

function isLeap(year : integer)
if year mod 400 = 0
    isLeap  $\leftarrow$  true
else if year mod 100 = 0
    isLeap  $\leftarrow$  false
else if year mod 4 = 0
    isLeap  $\leftarrow$  true
else isLeap  $\leftarrow$  false

```



conditional branching

```

function isLeap(year : integer)
if ((year mod 4 = 0)  $\wedge$  (year mod 100  $\neq$  0))  $\vee$  (year mod 400)
    isLeap  $\leftarrow$  true
else
    isLeap  $\leftarrow$  false

```

```

function isLeap(year : integer)
isLeapYear  $\leftarrow$  ((year mod 4 = 0)  $\wedge$  (year mod 100  $\neq$  0))  $\vee$  (year mod 400)

```



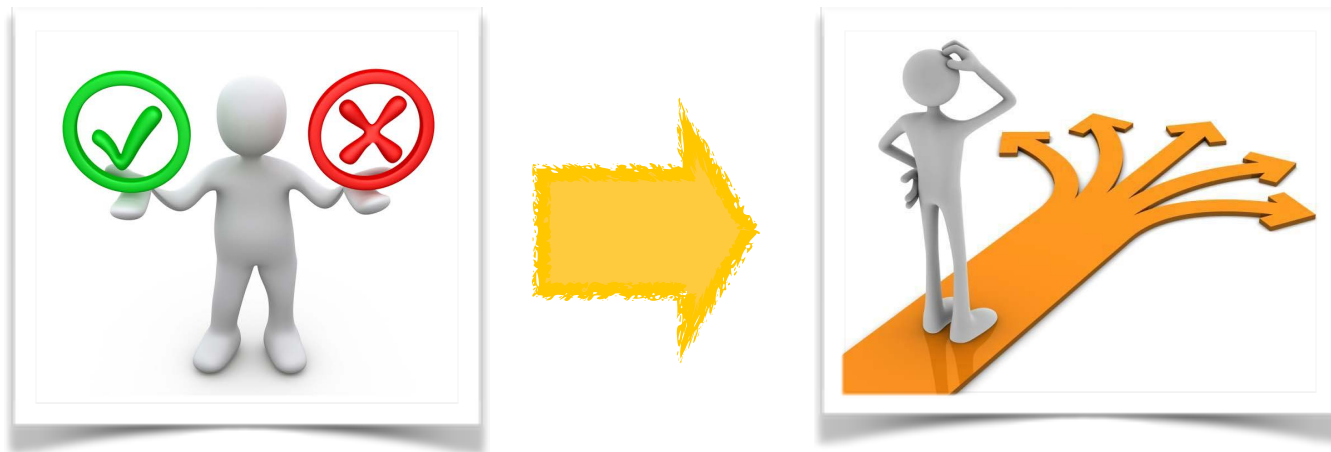
conditional branching

python

```
def isLeap(year):  
    if year % 400 == 0 : return True  
    elif year % 100 == 0 : return False  
    elif year % 4 == 0 : return True  
    return False
```

```
def isLeap(year):  
    if (year % 4 == 0) and (year % 100 != 0) or (year % 400 == 0) : return True  
    return False
```

```
def isLeap(year):  
    return (year % 4 == 0) and (year % 100 != 0) or (year % 400 == 0)
```



conditional branching

scala

```
def isLeap(year : Int) : Boolean = {  
  if (year % 400 == 0) true  
  else if (year % 100 == 0) false  
  else if (year % 4 == 0) true  
  else false  
}
```

```
def isLeap(year : Int) : Boolean = {  
  if ((year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0)) true  
  else false  
}
```

```
def isLeap(year : Int) : Boolean =  
(year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0)
```




conditional branching

swift

```
func isLeap(year:Int) -> Bool {  
    if year % 400 == 0 { return true }  
    else if year % 100 == 0 { return false }  
    else if year % 4 == 0 { return true }  
    else { return false }  
}
```

```
func isLeap(year:Int) -> Bool {  
    if (year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0) { return true }  
    else { return false }  
}
```

```
func isLeap(year:Int) -> Bool {  
    return (year % 4 == 0) && (year % 100 != 0) || (year % 400 == 0)  
}
```

scala

```
i match {  
  case 1 => println("January")  
  case 2 => println("February")  
  case 3 => println("March")  
  case 4 => println("April")  
  case 5 => println("May")  
  case 6 => println("June")  
  case 7 => println("July")  
  case 8 => println("August")  
  case 9 => println("September")  
  case 10 => println("October")  
  case 11 => println("November")  
  case 12 => println("December")  
  case whoa => println("Unexpected: " + whoa.toString)  
}
```

fallback case



conditional branching switch / match

swift

```
let someCharacter: Character = "z"  
switch someCharacter {  
  case "a":  
    print("The first letter of the alphabet")  
  case "z":  
    print("The last letter of the alphabet")  
  default:  
    print("Some other character")  
}
```

reserved keywords

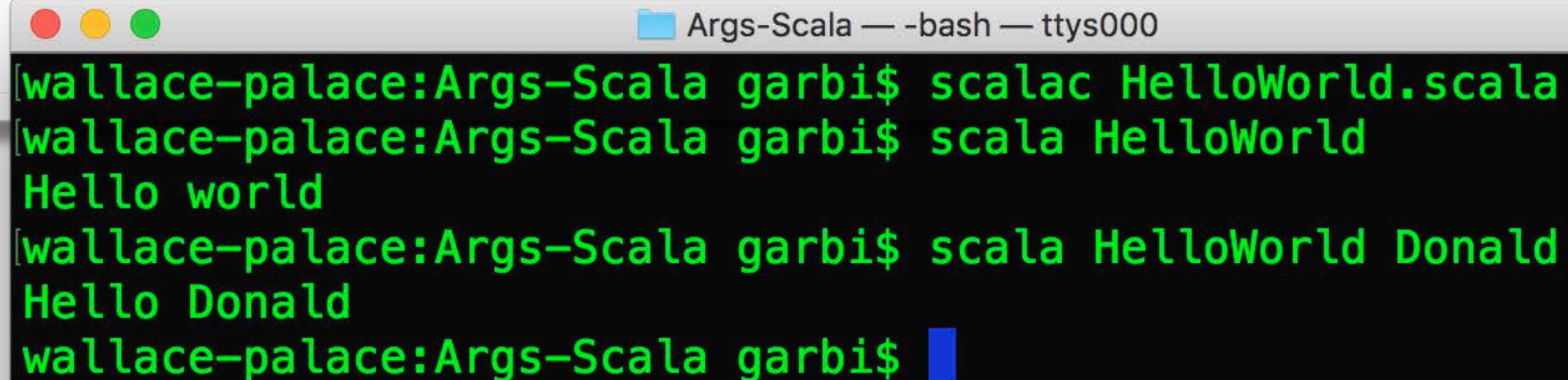
in a programming language, **identifiers** are **lexical tokens** chosen by the programmer to name various kinds of entities, e.g., variables, functions, types, etc.

in contrast, **reserved keywords** are words **that cannot be chosen by the programmer** to name entities and that has a predefined meaning, **if**, **else**, **switch**, etc.

command line arguments

```
object HelloWorld extends App {  
  if (args.length == 0) {  
    println("Hello world")  
  } else {  
    println("Hello " + args(0))  
  }  
}
```

scala






A terminal window titled "Args-Scala — -bash — ttys000" showing the execution of the HelloWorld program. The prompt is [wallace-palace:Args-Scala garbi\$. The first command is scalac HelloWorld.scala, which compiles the program. The second command is scala HelloWorld, which runs the program and outputs "Hello world". The third command is scala HelloWorld Donald, which runs the program with the argument "Donald" and outputs "Hello Donald". The prompt is now wallace-palace:Args-Scala garbi\$.

```
[wallace-palace:Args-Scala garbi$ scalac HelloWorld.scala  
[wallace-palace:Args-Scala garbi$ scala HelloWorld  
Hello world  
[wallace-palace:Args-Scala garbi$ scala HelloWorld Donald  
Hello Donald  
wallace-palace:Args-Scala garbi$
```

text input/output on the command line

when a program is launched on the command line, it can ask the user for text input and provide text output on the terminal

	input	output
 python	<pre>year = input("Give us a year: ") year = int(year)</pre>	<pre>print("Is {0} a leap year? {1}".format(year, isLeap(year)))</pre>
 scala	<pre>import scala.io.StdIn.readLine val year = readLine("Choose a year: ").toInt</pre>	<pre>print(s"Is \$year a leap year? \${isLeap(year)}")</pre>
 swift	<pre>var year = Int(readLine()!)</pre>	<pre>print("Year \ \(year!) is leap: \ (isLeap(year:year!))")</pre>